## Chapter 2 Test Review

## 1)

9. An object weighs one ton if it weighs 2000 pounds.

If an object weighs 2000 pounds, then it weighs one ton.
10. An object weighs 16 ounces if it weighs one pound.

If an object weighs one pound, then it weighs 16 ounces.
11. Three points are collinear if they lie on the same line.

If three points lie on the same line, then they are collinear.
14. A point may lie in more than one plane.

## True

15. If $x^{4}$ equals 81 , then $x$ must equal 3 .

False, $x$ could $=-3$
16. If it is snowing, then the temperature is below freezing.

True

18. If $\angle 1$ measures $123^{\circ}$, then $\angle 1$ is obtuse.

Converse: If $<1$ is obtuse, then $<1$ measures $123^{*}$. Inverse: If $<1$ doesn't measure $123^{*}$, then $<1$ is not obtuse. Contrap.: If $<1$ is not obtuse, then $<1$ doesn't measure 123*
19. If $\angle 2$ measures $38^{\circ}$, then $\angle 2$ is acute.

Converse: If <2 is acute, then <2 measures 38*. Inverse: If <2 doesn't measure $38^{*}$, then $<2$ is not acute. Contrap.: If $<2$ is not acute, then $<2$ doesn't measure 38*.
20. I will go to the mall if it is not raining.

If it is not raining, then I will go to the mall.
Converse: If I go to the mall, then it is not raining. Inverse: If it is raining, then I will not go to the mall. Contrap.: If I do not go to the mall, then it is raining.

13. Points $A, F$, and $G$ are collinear.
14. $\angle D C J$ and $\angle D C H$ are supplementary. $T$
15. $\overline{D C}$ is perpendicular to line $\ell$.
16. $\overline{F B}$ is perpendicular to line $n$.
$\square$

## 5)

20. Two angles are congruent if and only if they have the same measure.

Conditional: If two angles are congruent, then they have the same measure. Converse: If two angles have the same measure, then they are congruent.
21. A ray bisects an angle if and only if it divides the angle into two congruent angles.

Conditional: If a ray bisects an angle, then it divides the angle into two congruent angles.
Converse: If a ray divides the angle into two congruent angles, then it bisects the angle.
24. If an angle measures $94^{\circ}$, then it is obtuse.

The angle could be any other number greater than 90 and less than 180 (100, 120, ...)
25. If two angles measure $42^{\circ}$ and $48^{\circ}$, then they are complementary.

The angles could be $30^{*}$ and 60*
26. If Terry lives in Tampa, then she lives in Florida.

She could live in another city in Florida (Orlando, Clear Water, ...)
33. Two circles have the same circumference if they have the same diameter.

If two circles have the same diameter, then they have the same circumference.
Converse: If two circles have the same circumference, then they have the same diameter.
TRUE
Biconditional: Two circles have the same diameter if and only if they have the same circumference.
34. The perimeter of a triangle is the sum of the lengths of its sides.

If a number is the perimeter of a triangle, then it is the sum of the lengths of its sides. Converse: If a number is the sum of the lengths of its sides, then it is the perimeter of the triangle. TRUE
Biconditional: A number is the perimeter of a triangle if and only if it is the sum of the lengths of its sides.
35. All leopards have spots.

If an animal is a leopard, then it has spots.
Converse: If an animal has spots, then it is a leopard. FALSE C.E.: Cheetah
8) $p$ : Points $X, Y$, and $Z$ are collinear. $q$ : Points $X, Y$, and $Z$ lie on the same line.
8. $q \rightarrow p$

If points $X, Y$, and $Z$ lie on the same line, then points $X, Y$, and $Z$ are collinear.
9. $\sim q$

Points $X, Y$, and $Z$ do not lie on the same line.
10. $\sim p$

Points $X, Y$ and $Z$ are not collinear.
11. $\sim p \rightarrow \sim q$

If points $X, Y$, and $Z$ are not collinear, then points $X, Y$, and $Z$ are not on the same line.
9)
14. If Jed gets a $C$ on the exam, then he will get an $A$ for the quarter.
$P$ : Jed gets a C on the exam; Q: He will get an A for the quarter.
Inverse: $\sim p \rightarrow \sim q$; If Jed doesn't get a C on the exam, then he will not get an A... Contrap.: ${ }^{\sim} q \rightarrow \sim_{p}$; If he doesn't get an $A . . .$, then he didn't get a $C$ on the exam.
15. If Alberto finds a summer job, then he will buy a car.

P: Alberto finds a summer job; Q: He will buy a car.
Inverse: $\sim p \rightarrow \sim_{q}$; If Alberto doesn't find a summer job, then he won't buy a car. Contrap.: ${ }^{\sim} q \rightarrow \sim_{p}$; If Alberto doesn't buy a car, then he didn't find a summer job.
16. If the fuse has blown, then the light will not go on.
$P$ : The fuse has blow; Q : The light will not go on.
Inverse: $\sim p \rightarrow \sim q$; If the fuse has not blown, then the light will go on.
Contrap.: ${ }^{\sim} q \rightarrow \sim_{p}$; If the light will go on, then the fuse has not blown.

## 10)

30. If the sun is shining, then it is a beautifur day.

If it is a beautiful day, then we will have a picnic.
If the sun is shining, then we will have a picnic.
31. If the stereo is on, then the volume is loud.

If the volume is loud, then the neighbors will complain. If the stereo is on, then the neighbors will complain.
32. If Ginger gees to the movies, then Marta will go to the movies.

If Yumi goes to the movies, then Ginger will go to the movies.
It Yumi goes to the movies, then Marta will go to the movies.
50. DOGs Use the true statements to form other conditional statements.
A. If a dog is a gazehound, then it hunts by sight.
B. If a hound bays (makes long barks while hunting), then it is a scent hound.
C. If a dog is a foxhound, then it does not hunt primarily by sight.
D. If a dog is a coonhound, then it bays when it hunts.
E. If a dog is a greyhound, then it is a gazehound.
$\mathrm{E} \& \mathrm{~A} \rightarrow$ If a dog is a greyhound, then it hunts by sight.
$D \& B \rightarrow$ If a dog is a coonhound, then it is a scent hound.

## 12-13)

10. Symmetric property of equality: If $m \angle A=m \angle B$, then ? $m \angle B=m \angle A$
11. Transitive property of equality: If $B C=\not D$ and $C D=E F$, then $\quad$ ? $B C=E F$
12. Substitution property of equality: If $L K+J M=12$ and $L K=2$, then ? $2+J M=12$
13. Subtraction property of equality: If $P Q+S T=R S+S T$, then $\quad P Q=R S L(J M=10)$
14. Division property of equality: If $3(m \angle A)=90^{\circ}$, then $m \angle A=$ ? $30^{\circ}$

## 14-15)

16. $p-1=6$
$p=7$
17. $q+9=13$
$q=4$
18. $2 r-7 x=9$

$$
\begin{aligned}
\frac{2 r}{2} & =\frac{16}{2} \\
r & =8
\end{aligned}
$$

19. $7 s+20=45-13$
20. $3(2 t+9)=30$

$$
\begin{aligned}
& 6 t+2 t=30 \\
& -2 \hbar-27 \\
& \frac{\gamma t}{6}=\frac{3}{6} \\
& t=1 / 2 \text { (or } .5)
\end{aligned}
$$

16) 6. Reflexive Property of Segment Congruence

GIVEN $>E F$ is a line segment
PROVE $>\overline{E F} \cong \overline{E F}$


| Statements | Reasons |
| :--- | :--- |
| 1. $E F=E F$  <br> 2. $\quad \overline{E F} \cong \overline{E F}$ 1. $\overline{\text { ? Reflexive Prop. }}$ 2. Definition of congruent segments |  |

7. Transitive Property of Segment Congruence

$$
\begin{aligned}
\text { GIVEN } & >\overline{A B} \cong \overline{J K}, \overline{J K} \cong \overline{S T} \\
\text { PROVE } & >\overline{A B} \cong \overline{S T}
\end{aligned}
$$



| Statements | Reasons |
| :--- | :--- |
| 1. $\overline{A B} \cong \overline{J K}, \overline{J K} \cong \overline{S T}$ | 1. ? Given |
| 2. $A B=H K, H K=S T$ | 2. ? Def. of $\cong$ segments |
| 3. $A B=S T$ | 3. ? Transitue |
| 4. $\overline{A B} \cong \overline{S T}$ | 4. ? Def. of $\cong$ segmonts |

17) 
8. GIVEN $>\overline{A B} \cong \overline{B C}, \overline{C D} \cong \overline{B C}$


$$
\begin{gathered}
2 x x+1=4 x-11 \\
-2 x \\
+11=2 x-x \\
+12 \\
\frac{12}{2}=\frac{8 x}{2} \\
6=x
\end{gathered}
$$

9. GIVEN $>P R=46$


$$
\begin{gathered}
2 x+5+6 x-15=46 \\
8 x-18=46 \\
+y+10 \\
\frac{8 x}{8}=\frac{56}{8} \\
x=7
\end{gathered}
$$

$m \angle E H C=m \angle D H B=m \angle A H B=90^{\circ}$

12. If $m \angle 7=28^{\circ}$, then $m \angle 3=$ ? $28^{\circ}$
13. If $m \angle E H B=121^{\circ}$, then $m \angle 7=$ ? 3
14. If $m \angle 3=34^{\circ}$, then $m \angle 5=$ $34^{\circ}$
15. If $m \angle G H B=158^{\circ}$, then $m \angle F H C=$ $\square$ ? 1.58

## 19)

18. 

Co
Proving Theorem 2.5 Copy and complete the proof of the Congruent Complements Theorem.
10. (Droving Theorem 2.2 Copy and complete the proof of the Symmetric Property of Congruence for angles.

GIVEN $>\angle A \cong \angle B$
PROVE $>\angle B \cong \angle A$


| Statements | Reasons |
| :--- | :--- |
| 1. $\angle A \cong \angle B$ | 1. ? GMen |
| 2. $\rightarrow M \angle A=m \angle B$ | 2. Definition of congruent angles |
| 3. $m \angle B=m \angle A$ | 3. ? Symmetric |
| 4. $\angle B \cong \angle A$ | 4. ? Def.of $\simeq \angle ' S$ |

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GIVEN > \angle1 and L2 are complements,
        \angle3 and }\angle4\mathrm{ are complements,
        \angle2\cong\angle4
PROVE > }\angle1\cong\angle
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## Reasons

1. ? Given
2. $\angle 1$ and $\angle 2$ are complements, $\angle 3$ and $\angle 4$ are complements, $\angle 2 \cong \angle 4-m \angle 1+m \angle 2=90$ 2. ? ? $2 \angle 3+m \angle 4=90$
3. $m \angle 1+m \angle 2=m \angle 3+m \angle 4$
4. $m \angle 2=m \angle 4$
5. $m \angle 1+m \angle 2=m \angle 3+m \angle 2$
6. $m \angle 1=m \angle 3$
7. $? \angle 1 \cong \angle 3$
8. Def. of complementary angles
9. Transitive property of equality
10. ? Def. of $\cong$ segments
11. ? Substitution
12. ? Subtraction
13. Definition of congruent angles

20-21)
19. $\angle 1$ and $\angle 2$ are a linear pair. $\angle 2$ and $\angle 3$ are a linear pair. $\angle 3$ and $\angle 4$ are a linear pair.


$$
\begin{aligned}
& 1 \cong 3 \\
& 2 \cong 4
\end{aligned}
$$

20. $\angle X Y Z$ and $\angle V Y W$ are vertical angles. $\angle X Y Z$ and $\angle Z Y W$ are supplementary. $\angle V Y W$ and $\angle \underline{X} \underline{Y V}$ are supplementary.


$$
\begin{aligned}
& x \backslash z \cong V Y \omega \\
& 2 Y \omega \cong x Y v
\end{aligned}
$$

